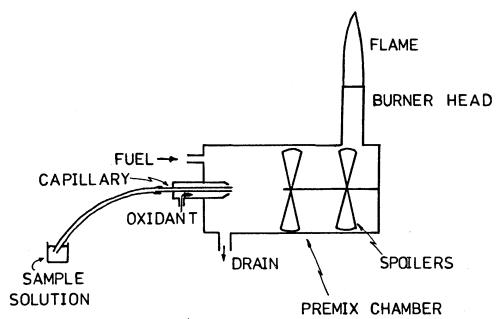
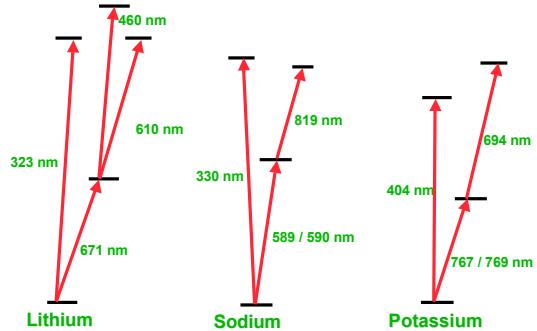
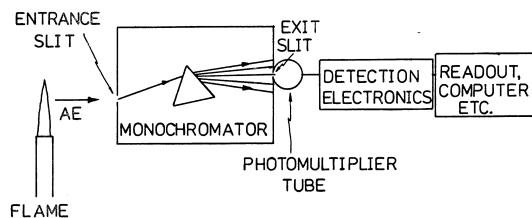
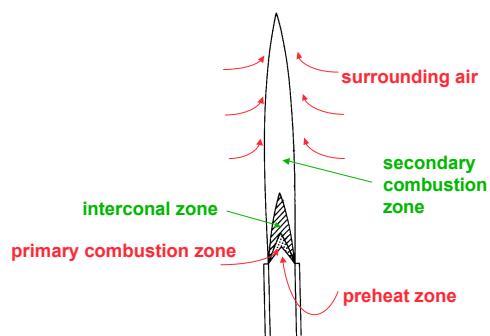


Partial Energy Level Diagrams





Gas Mixtures	Maximum Temperatures, °C
Air-Coal Gas	1825
Air-Propane	1725
Air-Hydrogen	2045
Air-Acetylene	2250
Oxygen-Hydrogen	2677
Oxygen-Acetylene	3060
Nitrous Oxide-Acetylene	2955
Argon-Hydrogen-Entrained Air	1577



Maxwell-Boltzmann Equation:

$$\frac{N_1}{N_0} = \frac{g_1}{g_0} e^{-(E_1 - E_0)/kT}$$

(nm) (eV)	Energy (eV)	N ₁ /N ₀		
		2000 K	3000 K	4000 K
Cs 852.1	1.46	2	4.44 x10 ⁻⁴	7.24 x10 ⁻³
Na 589.0	2.11	2	9.86 x10 ⁻⁶	5.88 x10 ⁻⁴
Ca 422.7	2.93	3	1.21 x10 ⁻⁷	3.69 x10 ⁻⁵
Zn 213.8	5.80	3	7.29 x10 ⁻¹⁵	5.38 x10 ⁻¹⁰
				1.48 x10 ⁻⁶

The 228.8 nm line of Cadmium corresponds to the ¹S₀ - ¹S₁ transition.

Calculate the ratio of $\frac{N_1}{N_0}$ in air/C₂H₂

The temperature is 2250 °C or 2523 K

Degeneracy ratio of the two levels is:

$$g_1/g_0 = [2(1)+1]/[2(0)+1] = 3/1$$

$$\frac{N_1}{N_0} = \frac{g_1}{g_0} e^{-(E_1 - E_0)/kT}$$

First find the frequency of light at 228 nm so that the energy difference can be calculated from E = hν

$$\nu = \frac{c}{\lambda} = \frac{2.998 \times 10^{10} \text{ cm sec}^{-1}}{2.288 \times 10^{-5} \text{ cm}}$$

$$= 1.310 \times 10^{15} \text{ sec}^{-1}$$

$$\frac{N_1}{N_0} = \frac{g_1}{g_0} e^{-(E_1 - E_0)/kT}$$

**Find the energy difference
between the levels:**

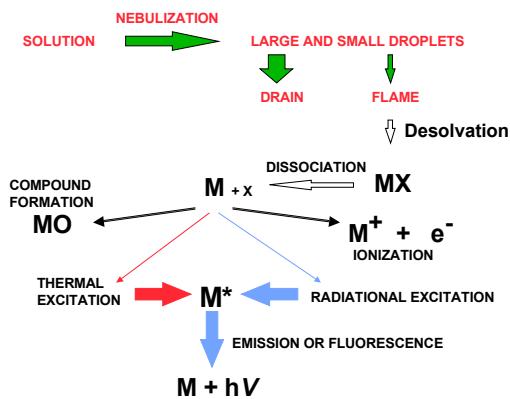
$$\begin{aligned}E_1 - E_0 &= h\nu \\&= (6.626 \times 10^{-27} \text{ erg} \cdot \text{sec})(1.310 \times 10^{15} \text{ sec}^{-1}) \\&= 8.682 \times 10^{-12} \text{ erg}\end{aligned}$$

Find the ratio:

$$\begin{aligned} \frac{N_1}{N_0} &= \frac{g_1}{g_0} e^{-(E_1 - E_0)/kT} \\ &= \frac{3}{1} e^{\frac{8.682 \times 10^{-12} \text{ erg}}{(1.3805 \times 10^{-16} \text{ erg K}^{-1})(2523 \text{ K})}} \\ &= 3e^{-24.93} = 4.5 \times 10^{-11} \end{aligned}$$

SI Units

$$1 \text{ Joule} = 10^7 \text{ ergs}$$



Types of Interferences

- **chemical**
- **ionization**
- **spectral**
- **background**
- **excitation**

- **chemical** - formation of stable compounds
- hotter flame, releasing agent, separation
- **ionization** - ionization suppressant
- **spectral** - atomic and molecular
- improve spectral resolution of spectrometer
- **background** - flame gas or matrix emission
-matrix match, resolve spectrally, modulation
- **excitation**- temp. change by matrix or solvent
- standard addition, matrix match

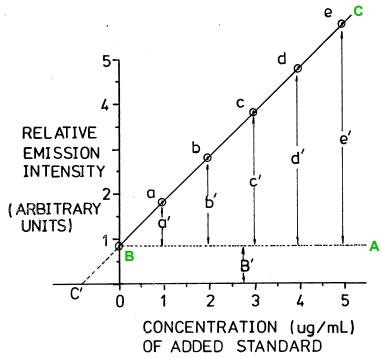
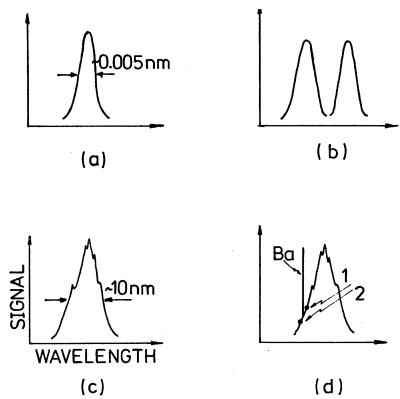
analyte, aluminum ionizes in flame

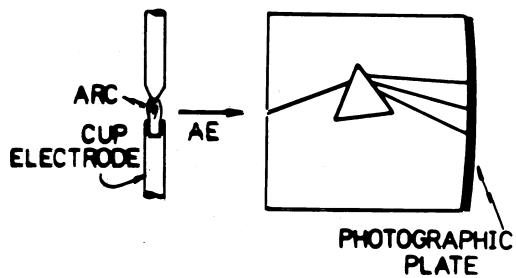


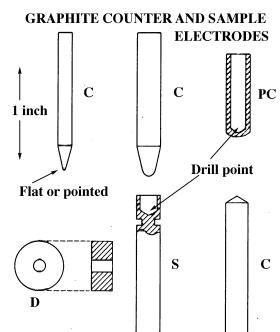
ionization suppressant sodium



forces equilibrium of Al to left

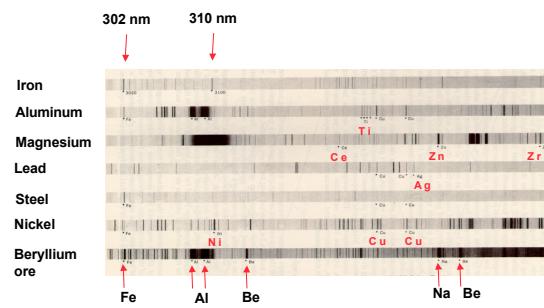


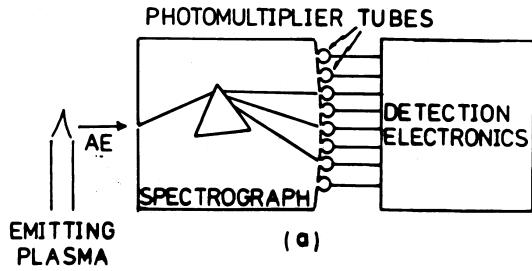




S=sample electrodes
C=counter electrodes
PC=porous cup
D=rotating disk

Photographic plate -UV spectrum





$$\text{Emission} = \left(\frac{c\Phi\epsilon\beta}{e_f Q} \right) L \left[h\nu_0 A_{21} \left(\frac{g_1}{g_2} \right) e^{-\frac{E_{21}}{kT}} \right] f(\theta, \lambda) g(\lambda)$$

c = concentration, **L** = path length

$h\nu_0$ = energy of photon

A_{21} = Einstein coefficient

Φ = rate of sample introduction

ϵ = efficiency of sample introduction

β = efficiency of atomization

$$\text{Emission} = \left(\frac{c\Phi\epsilon\beta}{e_f Q} \right) L \left[h\nu_0 A_{21} \left(\frac{g_1}{g_2} \right) e^{-\frac{E_{21}}{kT}} \right] f(\theta, \lambda) g(\lambda)$$

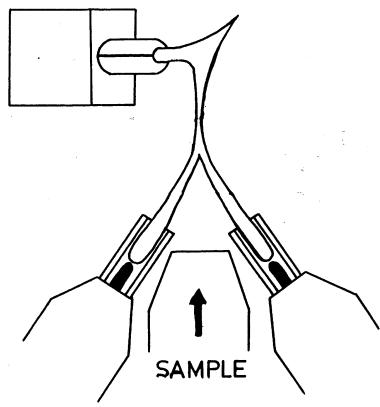
Q = flow rate of flame gases

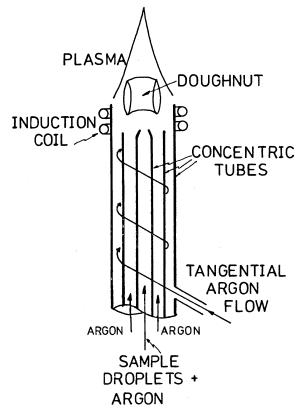
e_f = increased volume on combustion

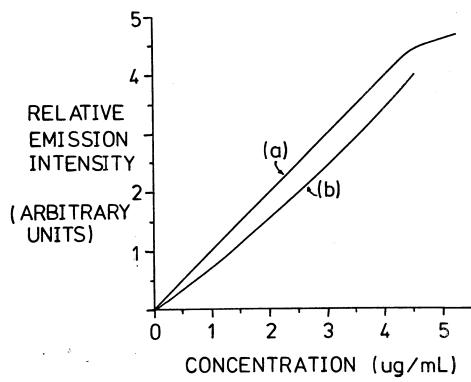
θ = solid angle of light collection

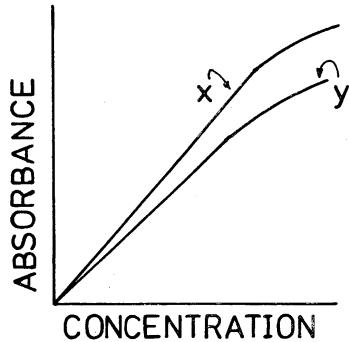
λ = wavelength

g = efficiency of detector

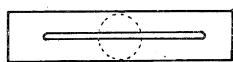








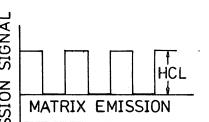
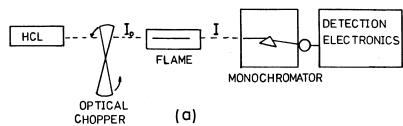
BURNER HEADS

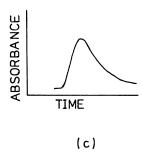
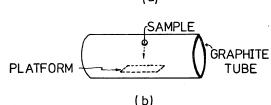
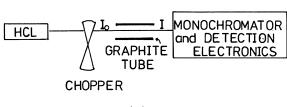
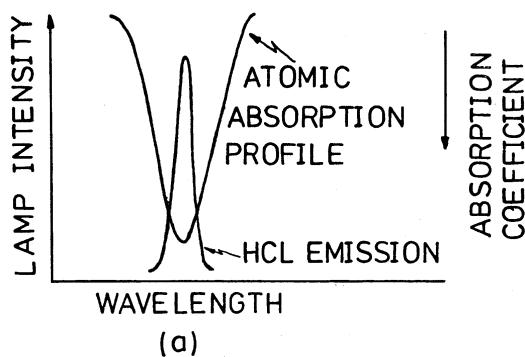
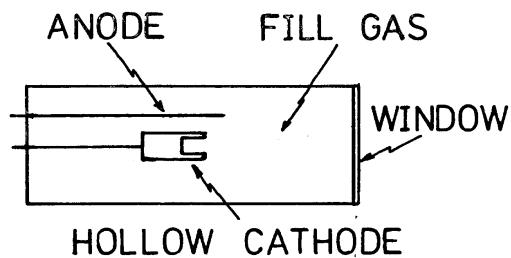


ATOMIC ABSORPTION



EMISSION OR
FLUORESCENCE



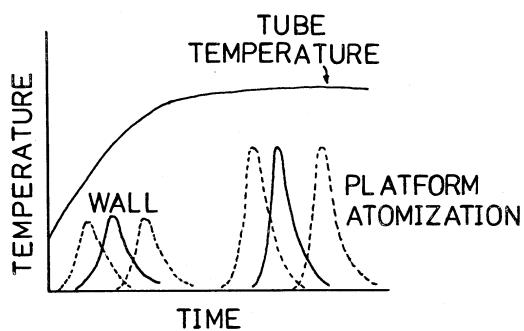


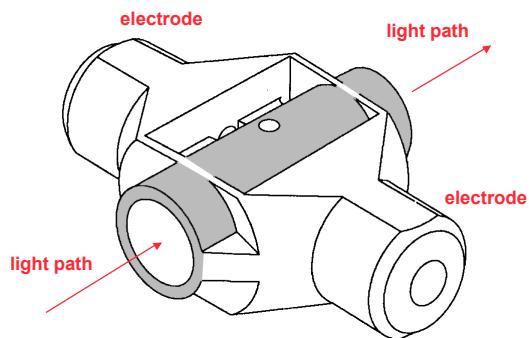
Advantages of graphite furnace

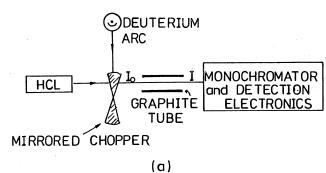
- long residence time compared to flame
- micro samples
- electrically heated

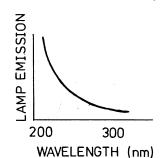
Features of graphite furnace

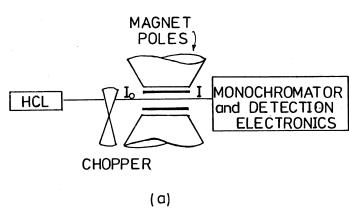
- matrix modifiers
- L'vov platform
- size: 20-30 mm x 6-8 mm
- blackbody radiation
- rapid heating
- absolute analysis

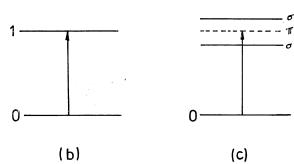


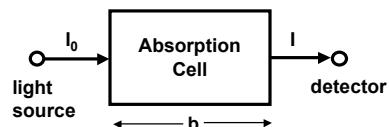
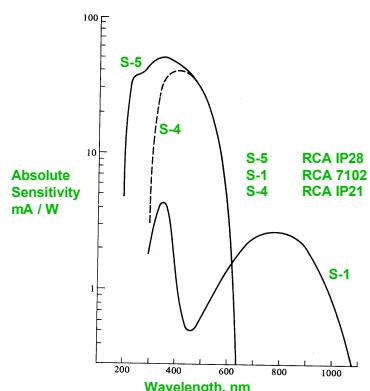
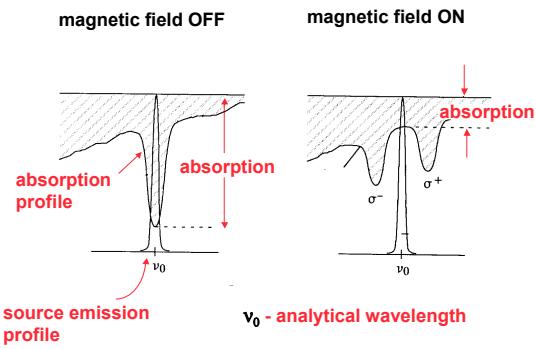












$$\text{Transmittance } T = \frac{I}{I_0}$$

$$\%T = \frac{I}{I_0} \times 100$$

- Fraction of light transmitted decays exponentially with both
- path length:

$$T = \frac{I}{I_0} = 10^{-kb}$$

k is a constant

- and concentration:

$$T = \frac{I}{I_0} = 10^{-k'c}$$

- or:

$$\lg T = \lg \frac{I}{I_0} = -kb$$

- and:

$$\lg T = \lg \frac{I}{I_0} = -k'c$$

- combination of these two:

$$\lg T = \lg \frac{I}{I_0} = -abc$$

- define:

$$\text{Absorbance, } A = -\lg T$$

- which results in Beer's law:

$$A = -\lg T = \lg \frac{I_0}{I} = abc$$

- and:

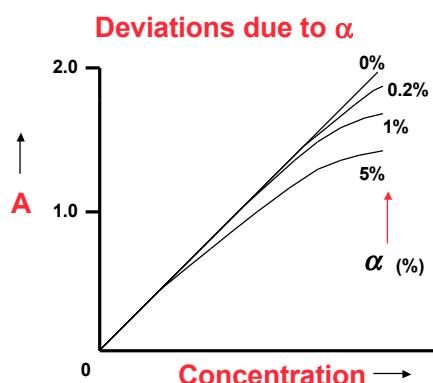
$$A = 2.00 - \log \%T$$

Instrumental Limitations of Beer's law

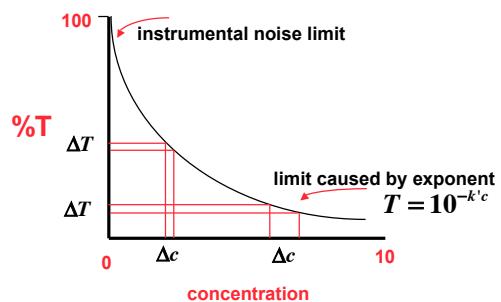
• Stray Light

$$A = \lg \frac{I_0 + \alpha}{I + \alpha} = \lg \frac{1 + \alpha}{10^{-A_0} + \alpha}$$

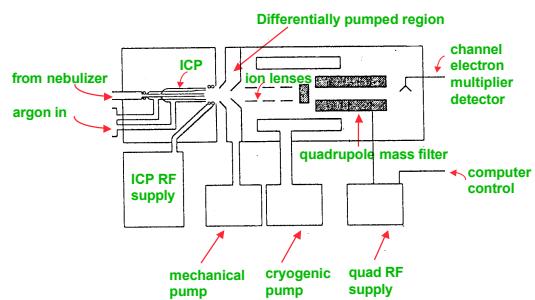
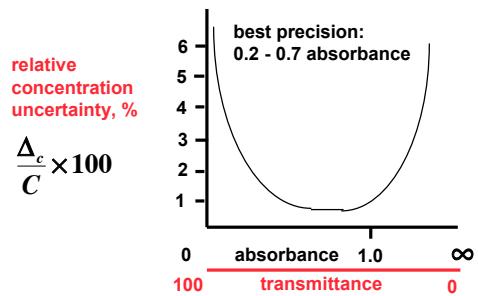
- α - fraction of light that is not absorbable
- A_0 - true or ideal absorbance



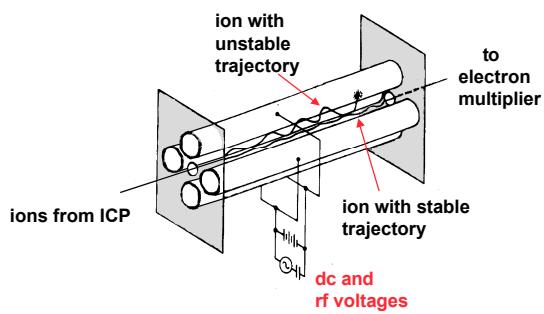
Effect of Instrumental noise on precision of analyses

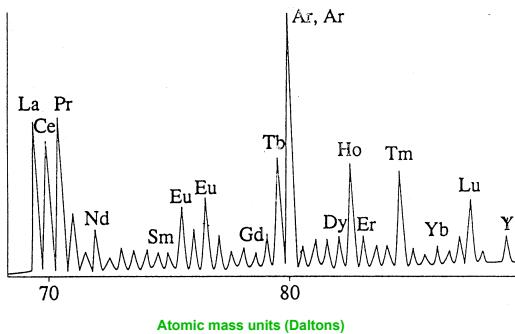


Effect of Instrumental noise on precision of analyses



Quadrupole Mass Spectrometer





SPECTRAL INTERFERENCES in ICP-MS

- Polyatomic ions from mineral acids
- Diatomic ions from plasma and carrier gases
- Oxides of matrix elements

ICP-MS interferences

Acid	Ion	m/z	Overlap
HNO_3	N^+	14	
	ArN^+	54	$^{54}\text{Fe}^+$ $^{54}\text{Cr}^+$
HClO_4	Cl^+	35.37	
	ClO^+	51	$^{51}\text{Y}^+$
		53	$^{53}\text{Cr}^+$
H_2SO_4	S^+	32,33, 34	
	SO^+	48	$^{48}\text{Ti}^+$
		49	$^{49}\text{Ti}^+$
		50	$^{50}\text{Cr}^+$

ICP-MS interferences

plasma ion	m/z	Overlap	
N ₂ +	28	28Si+	
NO+	30	30Si+	
O ₂ +	32	32S+	
	34	34S+	
ArO+	52	52Cr+	
	54	54Cr+	
	54	54Fe+	
Ar ₂ +	72	72Ge+	
	74	74Se+	

ICP-MS interferences

Analyte ion	m/z	Interferant	
Ni+	58	42Ca ¹⁶ O	
	60	44Ca ¹⁶ O	
	61	44Ca ¹⁶ OH	
Cu+	63	46Ca ¹⁶ OH	
Co+	59	43Ca ¹⁶ O	
Zn+	64	48Ca ¹⁶ O	
Cd+	111	94Zr ¹⁶ OH	
Sb+	123	91Zr ¹⁶ O ₂	