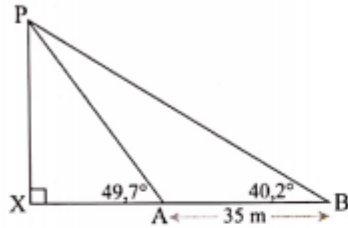


GR 11 REVISION: 2D TRIG

Exercise 1

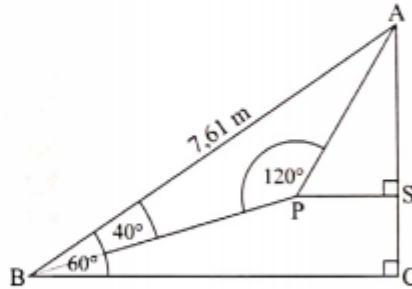
1. In the diagram, $AB = 35$ m, $\hat{B} = 40,2^\circ$ and $\hat{PAX} = 49,7^\circ$.
Calculate the height of PX.



2. Calculate the following from the diagram.

2.1 AP

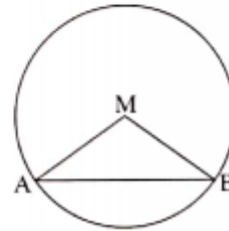
2.2 AS



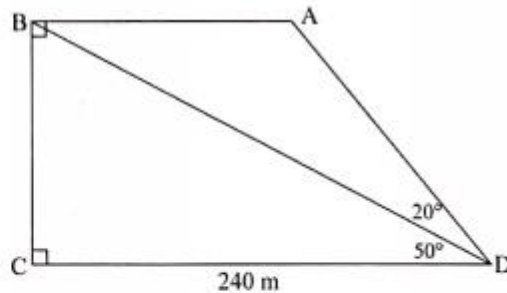
3. In the diagram, M is the centre of the circle.
 $AB = 75,3$ m and $\hat{AMB} = 110^\circ$.
Calculate the following correct to two decimal places.

3.1 the length of AM

3.2 the area of $\triangle AMB$



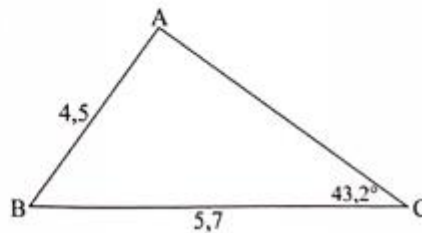
4. Calculate the area of $\triangle ABD$.



5. Given: $\hat{C} = 43,2^\circ$, $AB = 4,5$ and $BC = 5,7$.
Determine the following.

5.1 \hat{A}

5.2 AC

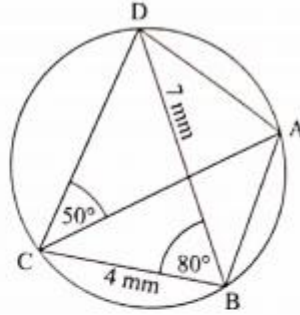


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6. In the diagram, $BC = 4$ mm, $BD = 7$ mm, $\hat{DBC} = 80^\circ$ and $\hat{ADC} = 50^\circ$. ABCD is cyclic.

Determine (correct to two decimal places):

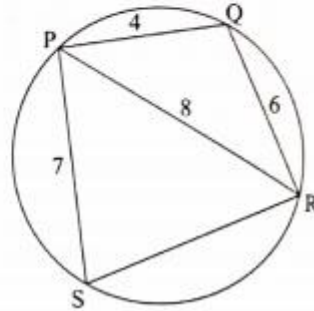
- 6.1 the length of DC
- 6.2 the area of $\triangle BCD$
- 6.3 the size of \hat{ABC}
- 6.4 the length of AD.



7. P, Q, R, and S, in that order, are points on the circumference of a circle. $PQ = 4$, $QR = 6$, $PR = 8$ and $PS = 7$.

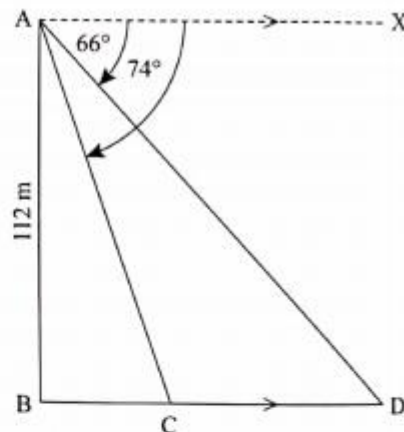
Calculate correct to one decimal place, the size of:

- 7.1 \hat{Q}
- 7.2 \hat{S}
- 7.3 Area $\triangle PSR$



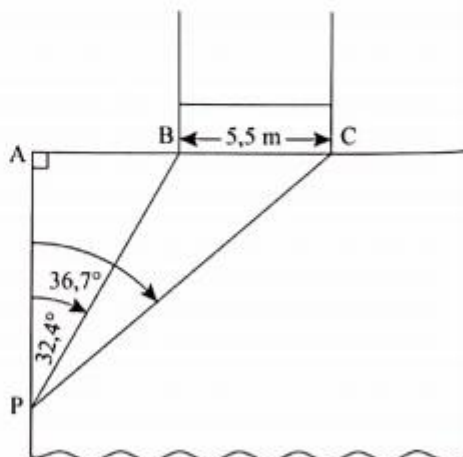
8. In the diagram, AB represents a lighthouse with height 112 m. From A the angles of depression of C and D, two boats in the same horizontal line as B, are 74° and 66° respectively. $AX \parallel BCD$.

- 8.1 Write down the size of \hat{ACB} .
- 8.2 Calculate AC.
- 8.3 Calculate the distance between the two boats, i.e. calculate CD.



9. The result of an important rugby match is determined by a penalty kick during injury time. Point P, in the diagram, indicates where the ball is placed for the penalty kick. After the match, a surveyor determined that the angle between the touch-line and left post (\hat{APB}) and the angle between the touch-line and right post (\hat{APC}) were $32,4^\circ$ and $36,7^\circ$ respectively. The distance between the goal posts is 5,5 metres. Calculate:

- 9.1 \hat{PBC}
- 9.2 the distance to the right hand post
- 9.3 the shortest distance, PA, to the goal line.

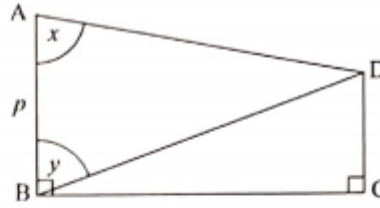


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10. 10.1 Use the diagram and prove that

$$DC = \frac{p \sin x \cos y}{\sin(x+y)}.$$

- 10.2 If $x = 80^\circ$, $y = 70^\circ$ and $p = 50$ m, calculate DC.



11. In the diagram, HTP is a straight line.

$$ST \perp HP$$

$$\hat{SHT} = z$$

$$\hat{STK} = y$$

$$\hat{KPT} = x$$

$$HT = KP = h$$

- 11.1 Write down \hat{KTP} in terms of y .

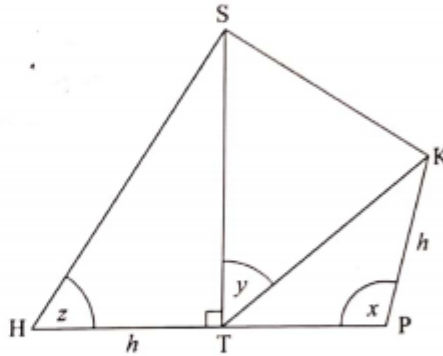
- 11.2 Prove that $KT = \frac{h \sin x}{\cos y}$

- 11.3 Prove that $ST = h \tan z$.

- 11.4 Prove that Area $\triangle KTS$

$$= \frac{1}{2} h^2 \sin x \tan z \tan y.$$

- 11.5 Calculate the area of $\triangle KTS$ to the nearest square metre if $h = 28$ metres, $x = 115,7^\circ$, $y = 43,5^\circ$ and $z = 61,6^\circ$.

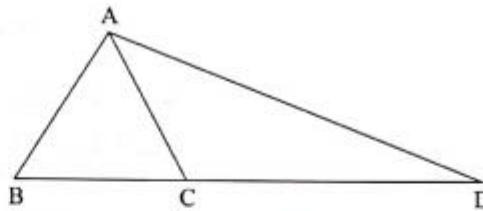


12. ABC is an equilateral triangle and

BC is produced to D such that

$CD = 2BC$. If $AB = p$ units,

show that $AD = \sqrt{7} p$ units.



13. $\triangle PQR$ is an acute-angled triangle.

- 13.1 Write down the area of $\triangle PQR$ in terms of p , q and R .

- 13.2 Apply the sine rule in $\triangle PQR$ and determine q in terms of p , Q and P .

- 13.3 Use 13.1 and 13.2 to prove that

$$p^2 = \frac{2(\text{area } \triangle PQR) \sin P}{\sin Q \sin R}$$

- 13.4 The area of $\triangle PQR = 65,4 \text{ cm}^2$ and

two angles of the triangle are $30,6^\circ$ and $49,7^\circ$. Calculate the length of side p , correct to one decimal place, if p is the longest side of the triangle.

