

GR 11 EQUATIONS

Remember you can always check your answer by subbing it into the LHS and RHS.

If they are the same, you have won the game!

LINEAR EQUATIONS

1 Normal

- *Variables to left
- *Numbers to right
- *Divide both sides by co-efficient

2 With brackets

- *Distribute out brackets
- *Solve like normal

3 With fractions

- *Multiply both sides by LCD
- *You may need to factorise denominator first!
- *Solve like normal
- *Use brackets if there is more than 1 term in numerator or denominator.
- *Remember your restriction ($\text{den} \neq 0$)

Solve for x: $\frac{8x+1}{x} - \frac{6+x}{2x} = \frac{2}{4x}$

QUADRATIC EQUATIONS

*Make it = 0

*Factorise LHS using tools learnt in gr9

*Make each bracket = 0 & solve linear equation.

OR

$$x = \frac{-b \pm \sqrt{b^2 - 4ac}}{2a}$$

1 Normal:

$$x^2 - 5x - 14 = 0$$

2 With fraction

$$\frac{2x+4}{x+1} - \frac{6}{x-2} = \frac{2}{x+1}$$

3 With root

*Isolate root

*Square both sides

*Check answer!

$$\sqrt{x+5} - x = -1$$

4 "k" method

*Make part of the equation = k to simplify.

$$x^2 - 2x + 3 + \frac{2}{x^2 - 2x} = 0$$

5 Completing the square

*Move the constant to RHS.

*Make the co-efficient on $x^2 = 1$

*Square half the co-efficient on x and add it to both sides

$$-2x^2 + 12x - 11 = 0$$

LINEAR INEQUALITIES

- * Sign changes when we move a term across the sign.
- * Sign changes direction when we multiply/divide by a negative number.
- * An open dot or round bracket means the number is excluded.
- * A closed dot or square bracket means the number is included.

1 $2x + 8 < 0$

2 $-5 < 1 - 2x \leq 3$

QUADRATIC INEQUALITIES

- * Find critical values
- * Test numbers on either side to see where it meets the condition.

$$x^2 - x - 6 \geq 0$$

SIMULTANEOUS EQUATIONS

Substitution

- *Get 1 variable in terms of the other.
- *Sub it into the OTHER equation.

$$x + 2y = 5$$

$$2y^2 - xy - 4x^2 = 8$$

Elimination (only for linear)

- *Multiply/divide 1 equation by a factor.
- * Add/subtract the equations to eliminate 1 variable.

$$y - 3x = -4$$

$$2y = -2x + 8$$

NATURE OF ROOTS

*A root is where the quadratic graph would cut the x-axis.

$$\text{Discriminant } (\Delta) = b^2 - 4ac$$

If Δ is:	Roots are:
A perfect square	Rational
0	Equal
Greater than 0	Unequal
Non-perfect square	Irrational
Negative	Non-real